

# CALCULATION POLICY - MULTIPLICATION



Inspire

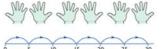
#### Year 1

Understand multiplication is related to doubling and combing groups of the same size (repeated addition)

Washing line, and other practical resources for counting. Concrete objects. Numicon; bundles of straws, bead strings



2+2+2+2+2=10  $2 \times 5 = 10$ 2 multiplied by 5 5 hops of 2



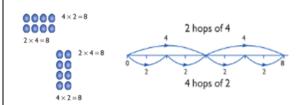
5 multiplied by 6 6 groups of 5

Problem solving with concrete objects (including money and measures

Use cuissenaire and bar method to develop the vocabulary relating to 'times' -

Pick up five, 4 times

Use arrays to understand multiplication can be done in any order (commutative)



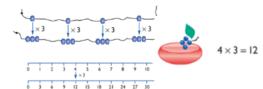
#### Year 2

Expressing multiplication as a number sentence using x

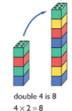
Using understanding of the inverse and practical resources to solve missing number problems.

$$7 \times 2 = \square$$
  $\square = 2 \times 7$   
 $7 \times \square = 14$   $14 = \square \times 7$   
 $\square \times 2 = 14$   $14 = 2 \times \square$   
 $\square \otimes = 14$   $14 = \square \otimes$ 

Develop understanding of multiplication using array and number lines (see Year 1). Include multiplications not in the 2, 5 or 10 times tables. Begin to develop understanding of multiplication as scaling (3 times bigger/taller)

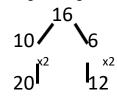


Doubling numbers up to 10 + 10 Link with understanding scaling Using known doubles to work out double 2d numbers (double 15 = double 10 + double 5)



### Towards written methods

Use jottings to develop an understanding of doubling two digit numbers.



## Year 3

Missing number problems

Continue with a range of equations as in Year 2 but with appropriate numbers.

#### Mental methods

Doubling 2 digit numbers using partitioning

Demonstrating multiplication on a number line - jumping in larger groups of amounts

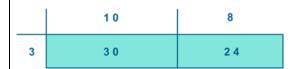
 $13 \times 4 = 10$  groups 4 = 3 groups of 4

# Written methods (progressing to $2d \times 1d$ )

Developing written methods using understanding of visual images

					1	0				8				8				
3	0	0	0	0	3	000	0	0	0	0 0	0 0 0	0	0	<b>○</b>	<b>4</b>	0	0	0

Develop onto the grid method



Give children opportunities for children to explore this and deepen understanding using Dienes apparatus and place value counters

# EXTRA GUIDANCE - PROGRESSION IN REASONING -MULTIPLICATION

# Mental Strategies

Children should experience <u>regular counting</u> on and back from different numbers in 1s and in multiples of 2, 5 and 10.

Year 1

Children should memorise and reason with numbers in 2, 5 and 10 times tables

They should see ways to represent odd and even numbers. This will help them to understand the pattern in numbers.



Children should begin to understand multiplication as scaling in terms of double and half. (e.g. that tower of cubes is double the height of the other tower)

### Vocabulary

Ones, groups, lots of, doubling repeated addition groups of, lots of, times, columns, rows longer, bigger, higher etc times as (big, long, wide ...etc)

### Generalisations

Understand 6 counters can be arranged as 3+3 or 2+2+2 Understand that when counting in twos, the numbers are always even.

# Some Key Questions

Why is an even number an even number? What do you notice? What's the same? What's different? Can you convince me? How do you know?

# Year 2

Children should count regularly, on and back, in steps of 2, 3, 5 and 10.

Number lines should continue to be an important image to support thinking, for example Children should explore times table facts in a variety of ways and use these to practice facts e.g.

2 x 1 =

2 x 2 =

Mental Strategies

 $2 \times 3 =$ 

Use a clock face to support understanding of counting in 5s.

Use money to support counting in 2s, 5s, 10s, 20s, 50s

## Vocabulary

multiple, multiplication array, multiplication tables / facts

groups of, lots of, times, columns, rows

### Generalisation

Commutative law shown on array (video)
Repeated addition can be shown mentally on a
number line

Inverse relationship between multiplication and division. Use an array to explore how numbers can be organised into groups.

## Some Key Questions

What do you notice?
What's the same? What's different?
Can you convince me?
How do you know?

#### Mental Strategies

Children should continue to count regularly, on and back, now including multiples of 4, 8, 50, and 100, and steps of 1/10. The number line should continue to be used as an important image to support thinking, and the use of informal jottings and drawings to solve problems should be encouraged. Children should explore times table facts in a variety of ways and use these to practice facts e.g.

Year 3

 $3 \times 1 =$ 

 $3 \times 2 =$ 

 $3 \times 3 =$ 

## Vocabulary

partition grid method inverse

# <u>Generalisations</u>

Connecting  $\times 2$ ,  $\times 4$  and  $\times 8$  through multiplication facts Comparing times tables with the same times tables which is ten times bigger (scaling). If  $4 \times 3 = 12$ , then we know  $4 \times 30 = 120$ . Use place value counters to demonstrate this.

When they know multiplication facts up to x12, do they know what x13 is? (i.e. can they use 4x12 to work out 4x13 and 4x14 and beyond?)

### Some Key Questions

What do you notice? What's the same? What's different? Can you convince me? How do you know?



# CALCULATION POLICY - MULTIPLICATION



# Years 4~6

Continue with a range of equations as in Year 2 but with appropriate numbers. Also include equations with missing digits

Year 4

 $\Box 2 \times 5 = 160$ 

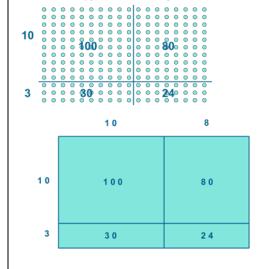
### Mental methods

Counting in multiples of 6, 7, 9, 25 and 1000, and steps of 1/100.

Solving practical problems where children need to scale up. Relate to known number facts. (e.g. how tall would a 25cm sunflower be if it grew 6 times taller?)

#### Written methods (progressing to $3d \times 2d$ )

Children to embed and deepen their understanding of the grid method to multiply up 2d x 2d. Ensure this is still linked back to their understanding of arrays and place value counters.



Continue with a range of equations as in Year 2 but with appropriate numbers. Also include equations with missing digits

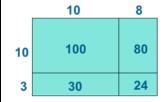
Year 5

#### Mental methods

X by 10, 100, 1000 using moving digits ITP Use practical resources and jottings to explore equivalent statements (e.g.  $4 \times 35 = 2 \times 2 \times 35$ ) Recall of prime numbers up 19 and identify prime numbers up to 100 (with reasoning) Solving practical problems where children need to scale up. Relate to known number facts. Identify factor pairs for numbers

## Written methods (progressing to $4d \times 2d$ )

Long multiplication using place value counters Children to explore how the grid method supports an understanding of long multiplication (for  $2d \times 2d$ )



	1	8		
×	1	3		
1	8	0		
	5	4		
2	3	4		

Continue with a range of equations as in Year 2 but with appropriate numbers. Also include equations with missing digits

Year 6

#### Mental methods

Identifying common factors and multiples of given numbers Solving practical problems where children need to scale up. Relate to known number facts.

#### Written methods

Continue to refine and deepen understanding of written methods including fluency for using long multiplication

Х	1000	300	40	2
10	10000	3000	400	20
8	8000	2400	320	16

Year 4	- PROGRESSION IN REASO Year 5	Year 6				
Mental Strategies	Mental Strategies	Mental Strategies				
Children should continue to count regularly, on	Children should continue to count regularly, on	Consolidate previous years.				
and back, now including multiples of 6, 7, 9, 25	and back, now including steps of powers of 10.	Children should experiment with order of operations,				
and 1000, and steps of 1/100.	Multiply by 10, 100, 1000, including decimals	investigating the effect of positioning the brackets in				
Become fluent and confident to recall all tables	(Moving Digits ITP)	different places, e.g. $20 - 5 \times 3 = 5$ ; $(20 - 5) \times 3 = 45$				
to x 12	The number line should continue to be used as an	They should be encouraged to choose from a range of				
Use the context of a week and a calendar to	important image to support thinking, and the use	strategies to solve problems mentally:				
support the 7 times table (e.g. how many days in	of informal jottings should be encouraged.	Partitioning using ×10, ×20 etc				
5 weeks?)	They should be encouraged to choose from a	Doubling to solve x2, x4, x8				
Use of finger strategy for 9 times table.	range of strategies to solve problems mentally:	Recall of times tables				
Multiply 3 numbers together	Partitioning using x10, x20 etc	Use of commutativity of multiplication				
The number line should continue to be used as an	Doubling to solve x2, x4, x8	If children know the times table facts to 12 $\times$ 12. Can they				
important image to support thinking, and the use	Recall of times tables	use this to recite other times tables (e.g. the 13 times tables				
of informal jottings should be encouraged.	Use of commutativity of multiplication	or the 24 times table)				
They should be encouraged to choose from a	If children know the times table facts to 12 x	,				
range of strategies:	12. Can they use this to recite other times tables	Vocabulary				
Partitioning using ×10, ×20 etc	(e.g. the 13 times tables or the 24 times table)	See previous years				
Doubling to solve x2, x4, x8	Vocabulary	common factor				
Recall of times tables	cube numbers prime numbers square numbers					
Use of commutativity of multiplication	common factors , prime factors	Generalisations				
Vocabulary	composite numbers	Order of operations: brackets first, then multiplication and				
Factor	Generalisation	division (left to right) before addition and subtraction (left				
<u>Generalisations</u>	Relating arrays to an understanding of square	to right). Children could learn an acrostic such as PEMDAS,				
Children given the opportunity to investigate	numbers and making cubes to show cube	or could be encouraged to design their own ways of				
numbers multiplied by 1 and 0.	numbers.	remembering.				
When they know multiplication facts up to ×12,	Understanding that the use of scaling by	Understanding the use of multiplication to support				
do they know what x13 is? (i.e. can they use 4x12	multiples of 10 can be used to convert between	conversions between units of measurement.				
to work out 4×13 and 4×14 and beyond?)	units of measure (e.g. metres to kilometres					
·	means to times by 1000)	Some Key Questions				
Some Key Questions	Some Key Questions	What do you notice?				
What do you notice?	What do you notice?	What's the same? What's different?				

What do you notice? What's the same? What's different? Can you convince me? How do you know?

What do you notice? What's the same? What's different? Can you convince me? How do you know? How do you know this is a prime number?

What's the same? What's different? Can you convince me? How do you know?